

***3rd Joint ILIAS–CERN–DESY  
Axion–WIMPs***

**The Axion Dark Matter  
eXperiment (ADMX)  
Phase 0**

***Steve Asztalos, LLNL***

***June, 2007***

- ADMX is a five institution collaboration
  - Lawrence Livermore National Laboratory
    - Co-spokesperson (K. van Bibber)
    - Staff scientist (D. Kinion)
    - Post doc (G. Carosi), Principal Investigator (S. Asztalos)
  - University of Washington
    - Co-spokesperson (L. Rosenberg)
    - Graduate student (M. Hotz), post doc (G. Rybka - summer '07)
  - University of Florida
    - D. Tanner and P. Sikivie
    - Former graduate student (L. Duffy now at LANL)
  - University of California – Berkeley
    - J. Clarke
  - National Radio Astronomy Observatory
    - R. Bradley

## Collaboration expertise

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*ADMX*

- Lawrence Livermore National Laboratory
  - Experimental site since 1995
  - Operations
  - Phase I design
  - SQUID development
- University of Washington
  - Operations
  - Analysis
- University of Florida
  - Theoretical guidance
  - Cryogenic engineering
  - High resolution analysis
- University of California – Berkeley
  - Ground-breaking SQUID design
- National Radio Astronomy Observatory
  - Low-noise amplifiers

# The Axion

## The Strong-CP Problem

- $\mathcal{L}_{\text{QCD}} = \dots + \frac{\theta}{32\pi^2} G\tilde{G}$ 
  - Explicitly CP-violating
- But neutron e.d.m.  $|d_n| < 10^{-25} \text{ e} \cdot \text{cm}$ 
  - $\bar{\theta} < 10^{-10}$
  - Strong-CP preserving

$$\text{CP} \left( \begin{array}{c} \uparrow \mu_n \quad \uparrow d_n \\ \text{In} \rangle \\ \downarrow \quad \downarrow \end{array} \right) = \begin{array}{c} \uparrow d_n \\ \text{In} \rangle \\ \downarrow \mu_n \end{array} \neq \text{In} \rangle$$

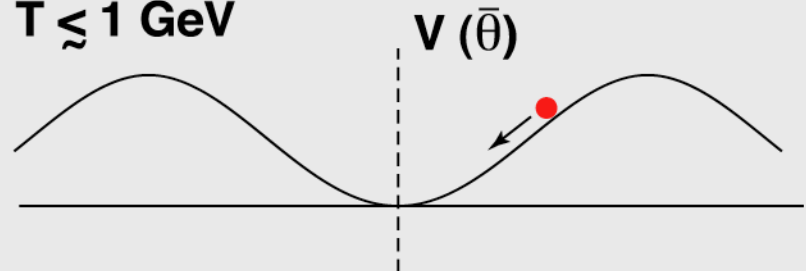
- Why?

## Peccei-Quinn / Weinberg-Wilczek

- $\theta$  a dynamical variable
- $T = f_a$  spontaneous symmetry breaking

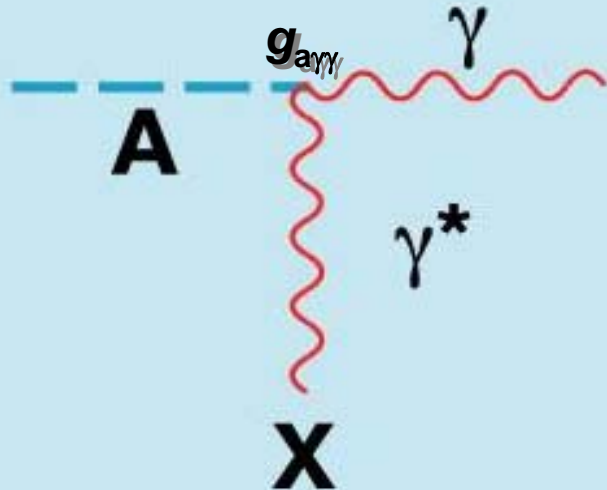


- $T \lesssim 1 \text{ GeV}$



- $\bar{\theta}$  dynamically  $\rightarrow 0$
- Remnant oscillation = Axion

## Primakoff interaction



$$J^\pi = 0^- \rightarrow L \sim \mathbf{E} \cdot \mathbf{B}$$

The axion, like the  $\pi^0$ , has a two-photon coupling

The free-space ( $\gamma\gamma$ ) lifetime is irrelevantly long ( $\tau \sim 10^{50}$  sec)

But it can also be converted into a *single real photon* in EM field

This photon then carries the *total energy* of the axion

This Primakoff interaction is the basis for the most sensitive experiments to search for the axion

# Properties of the Axion

- The Axion is a light pseudoscalar resulting from the Peccei-Quinn mechanism to enforce strong-CP conservation
- $f_a$ , the SSB scale of PQ-symmetry, is the one important parameter in the theory

## Mass and Couplings

$$m_a \sim 6 \mu\text{eV} \cdot \left( \frac{10^{12} \text{ GeV}}{f_a} \right)$$

Generically, all couplings

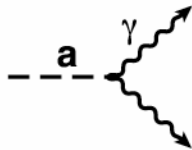
$$g_{a\text{ii}} \propto \frac{1}{f_a}$$

## Cosmological Abundance

$$\Omega_a \sim \left( \frac{5 \mu\text{eV}}{m_a} \right)^{7/6}$$

(Vacuum misalignment mechanism)

## Coupling to Photons



$$g_{a\gamma\gamma} = \frac{\alpha g_\gamma}{\pi f_a}; g_\gamma = \begin{cases} 0.97 \text{ KSVZ} \\ -0.36 \text{ DFSZ} \end{cases}$$

## Axion Mass 'Window'

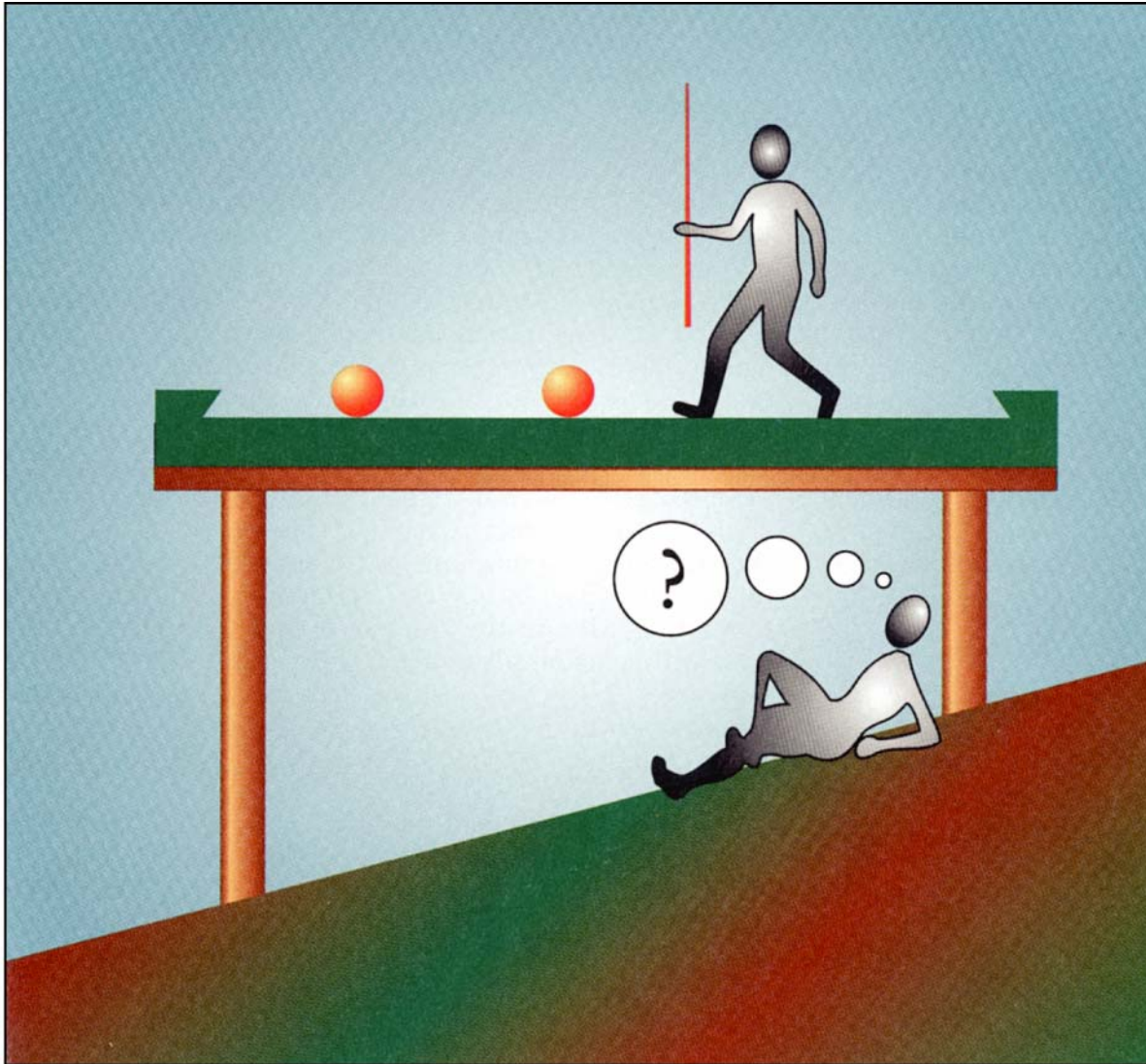
$$10^{-(5 \text{ to } 6)} \text{ eV} < m_a < 10^{-(2 \text{ to } 3)} \text{ eV}$$

(Overclosure) (SN1987a)

With lower end of window preferred if  $\Omega_{\text{CDM}} \sim 1$

# TSP's\* fine-tuning problem

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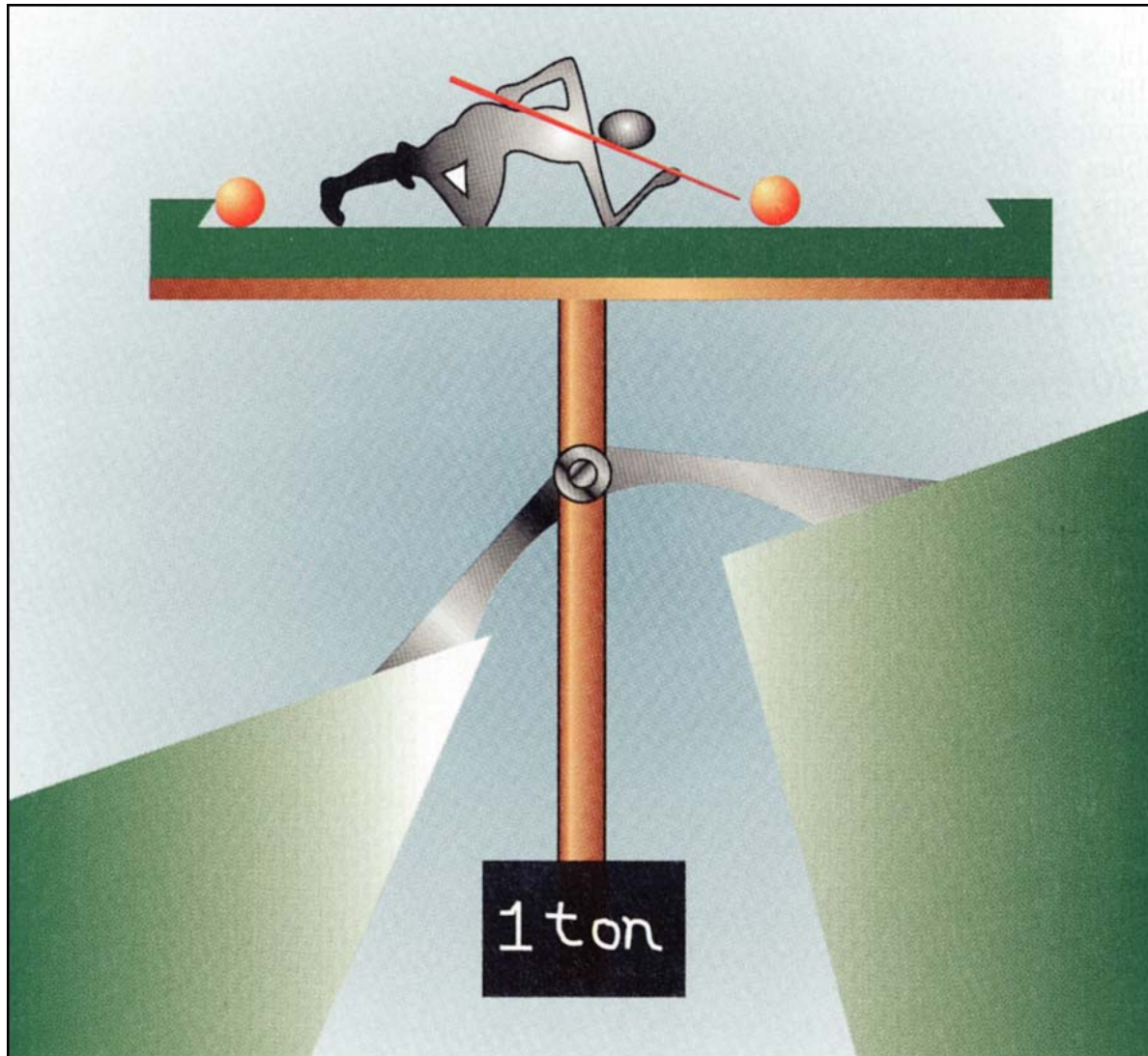


\*Thinking Snookers Player (Pierre Sikivie, Physics Today 49 (1996)22)



# TSP's hypothesis, and first unsuccessful experiment

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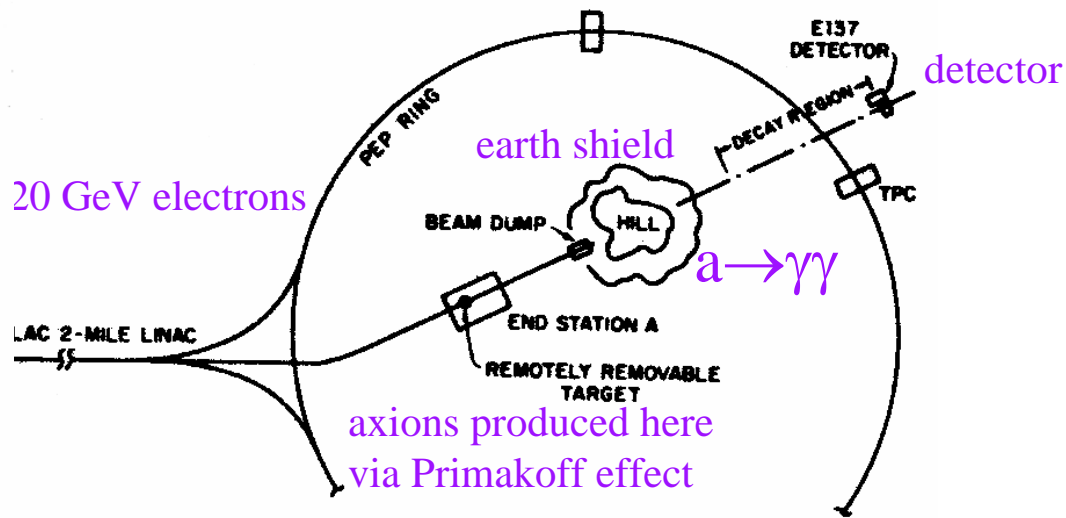
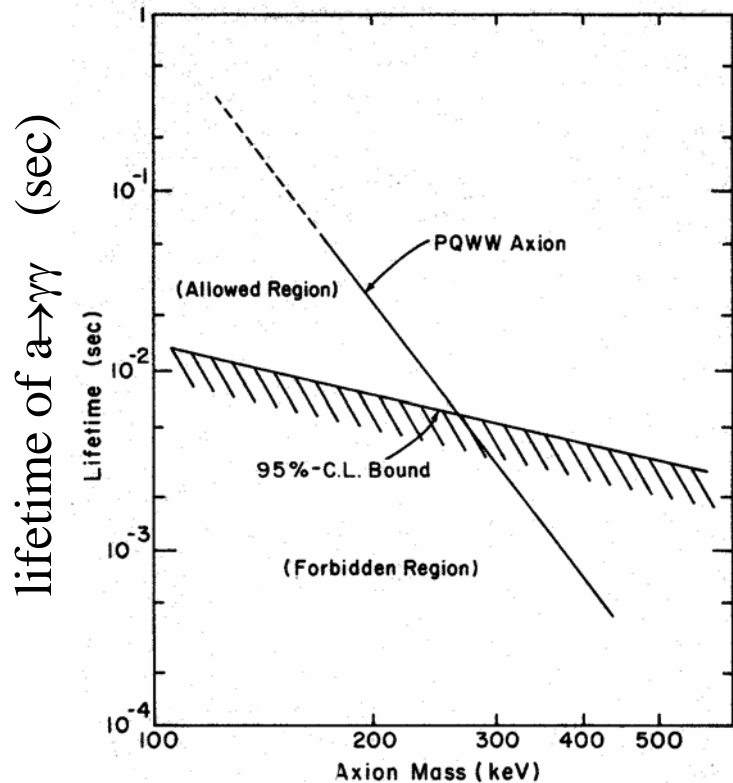
“invisible pooltable  
straightening  
mechanism”



# Summary of past laboratory searches: A heavy axion is excluded

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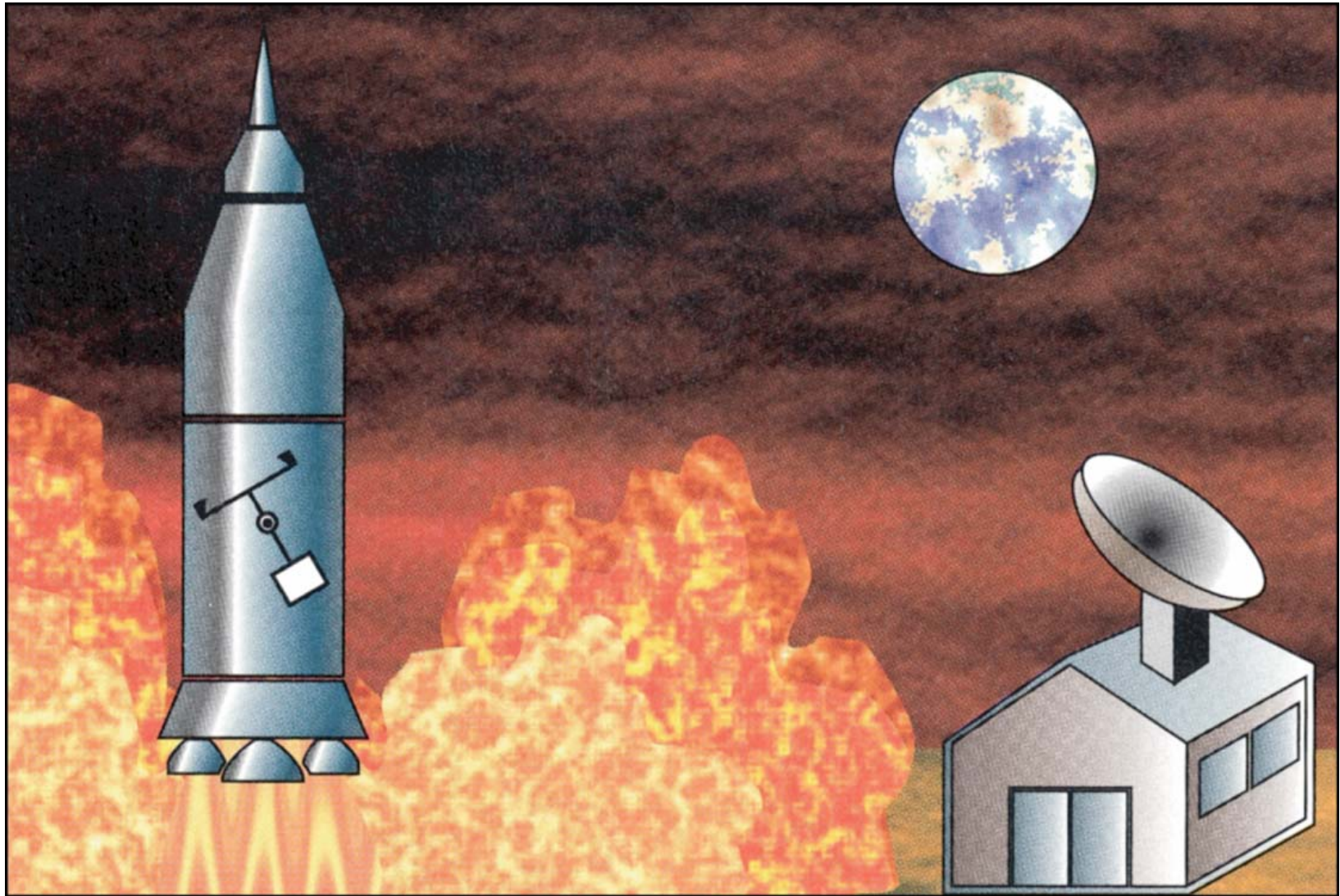
For example: SLAC E137 (Bjorken et al.)



$f_{PQ}$  must be considerably greater than the weak scale

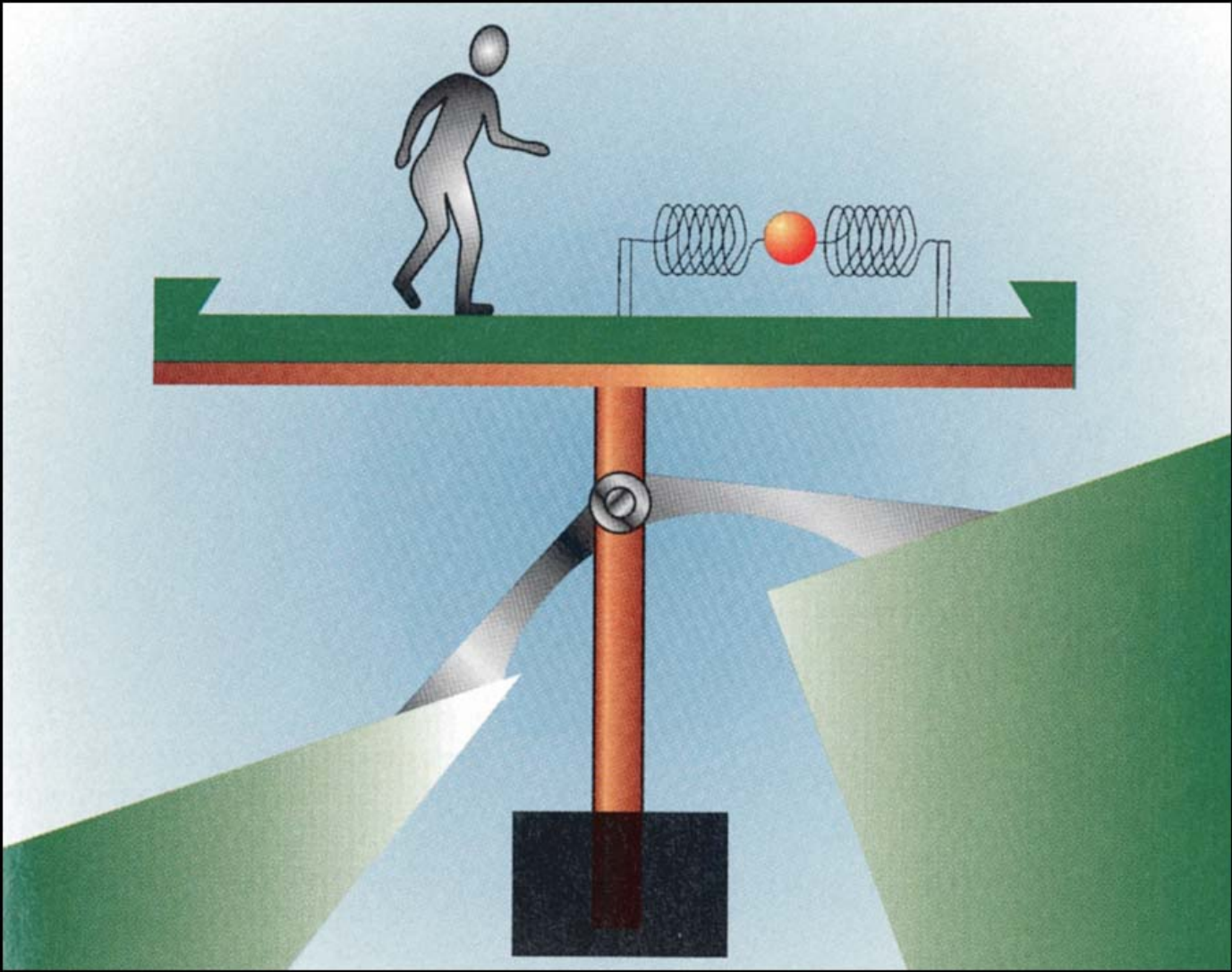
# A key insight

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# A high-Q search for relic oscillations

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# Completing the analogy $f \leftrightarrow l$

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	PQ-symmetry breaking scale	Pendulum length
Quanta $m_a (\omega)$	$\sim f^{-1}$	$\sim l^{-1/2}$
Couplings $g$	$\sim f^{-1}$	$\sim l^{-1}$
Total energy $\Omega_a (E)$	$\sim f^{7/6}$	$\sim l$

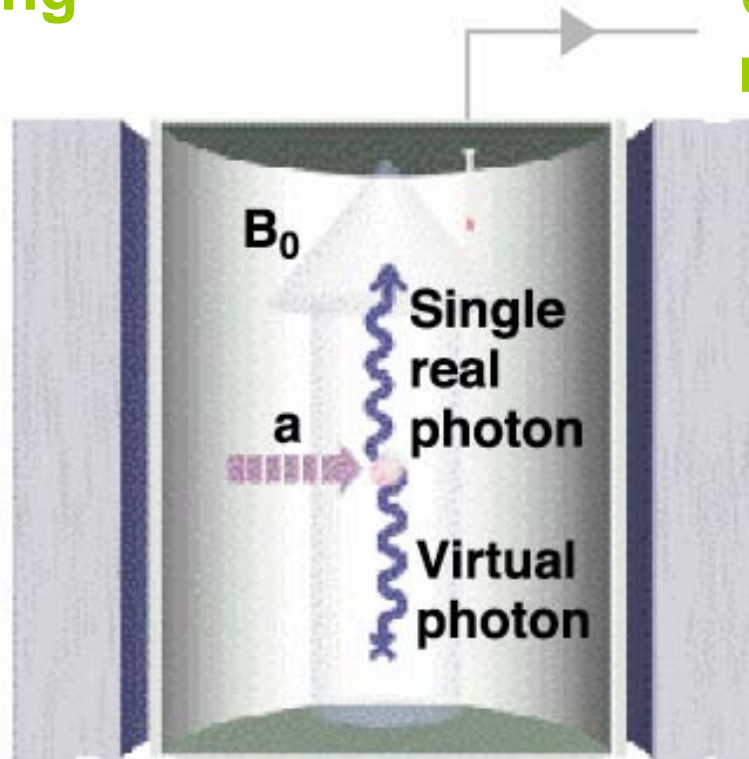


# How to detect dark-matter axions (Sikivie, 1983)

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Superconducting magnet

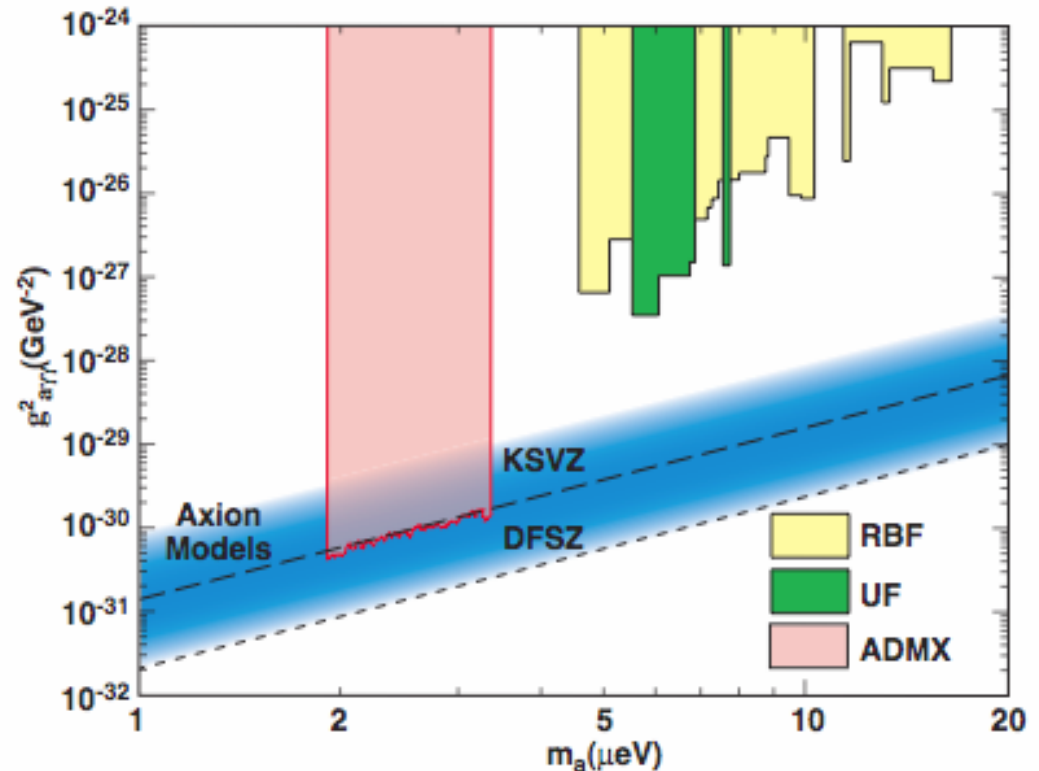
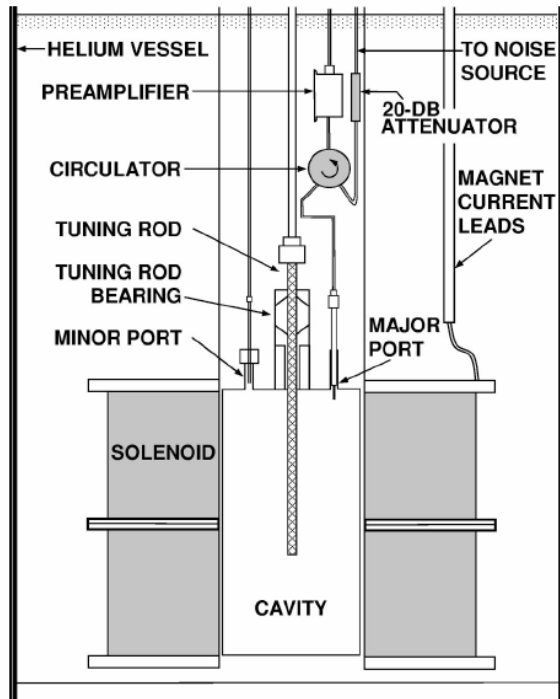
Ultra-low noise microwave receiver



High-Q microwave cavity

# The first-generation experiments RBF, UF – 1980's ADMX

From W. Wuensch *et al.*,  
Phys. Rev. D40 (1989) 3153

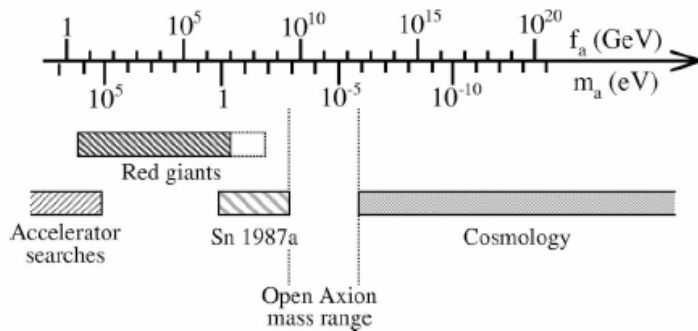


The first-generation experiments already came within a factor of 100-1000 of the desired sensitivity – a stunning achievement



# The axion as dark matter candidate

## Cosmological abundance



$$\Omega_a = (0.5 - 3.0) \cdot \left( \frac{6 \mu\text{eV}}{m_a} \right)^{7/6}$$

## Local halo density

Max. likelihood density to multicomponent Milky Way galaxy with all constraints:

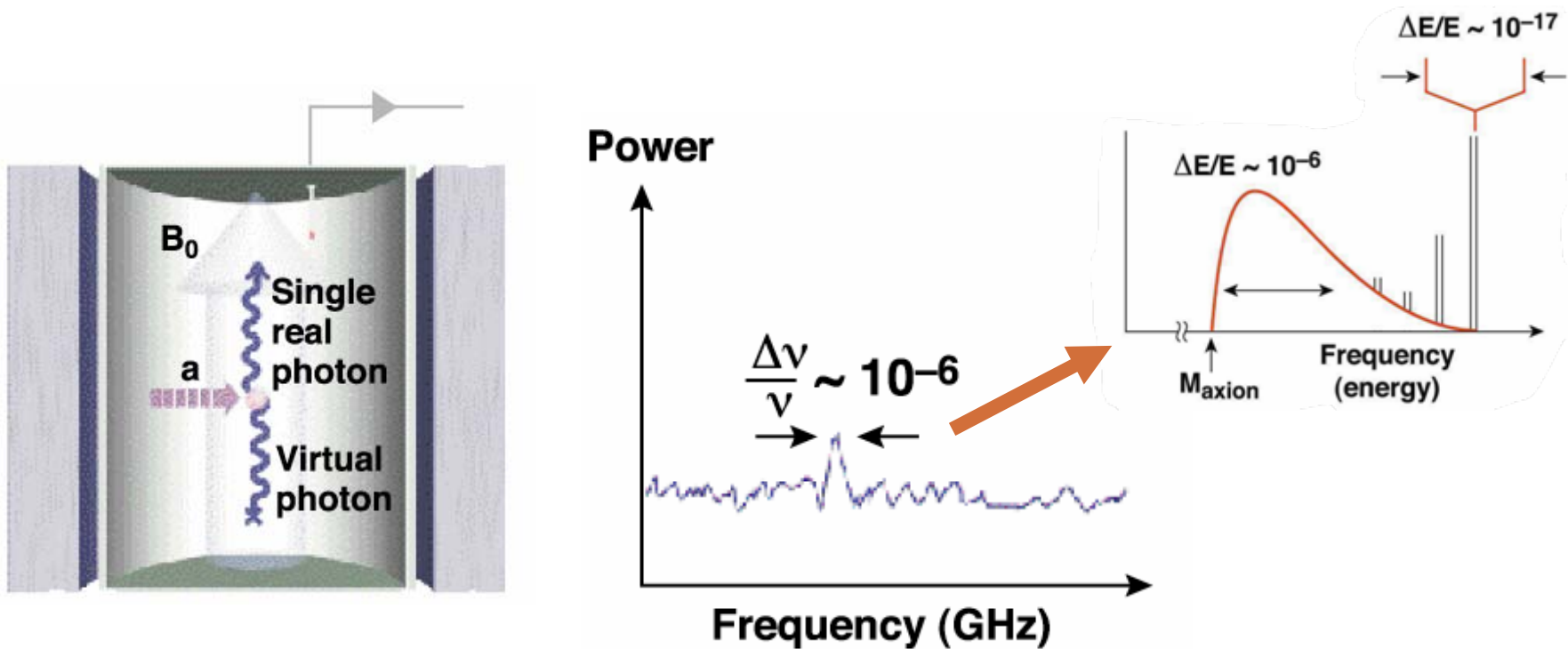
- Rotation curve
- Virial velocity
- Projected areal disk density
- Microlensing optical depth

Gates, E.J., G. Gyuk, M.S. Turner, *Ap.J. Lett.* 449 L123 (1995)

$$\rightarrow \rho_{halo} = 0.45^{+0.45}_{-0.15} \text{ GeV} / \text{cm}^3$$

The cavity search assumes that axions constitute some or all of the dark matter, but that is a soft assumption for a sufficiently light axion

# The signal is the *total energy* of the axion *ADMX*

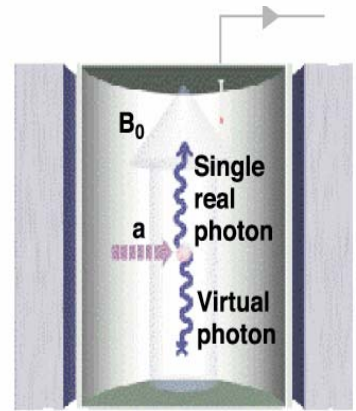
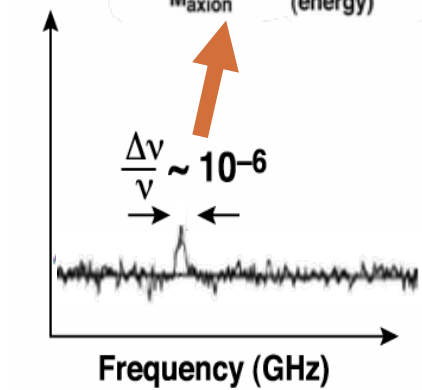
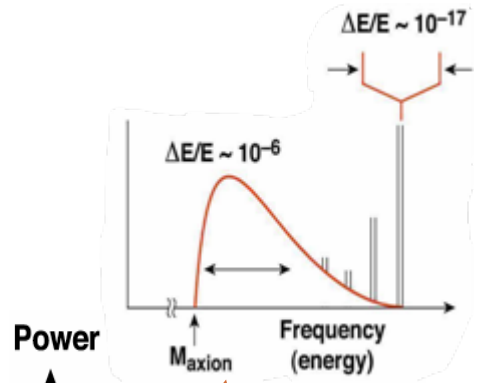


The axion mass range is scanned by tuning the cavity

$$\text{Resonance condition: } h\nu = m_a c^2 [1 + O(\beta^2 \sim 10^{-6})]$$

There may be fine structure in the axion signal

# Axion halo dark matter – a unique quantum system ADMX



## Axionic dark matter is very dense

Milky Way density:  $\rho_{\text{halo}} \approx 450 \text{ MeV} \cdot \text{cm}^{-3}$   
 Thus if  $m_a \sim 10 \mu\text{eV}$ :  $\rho_{\#} \approx 10^{14} \text{ cm}^{-3}$

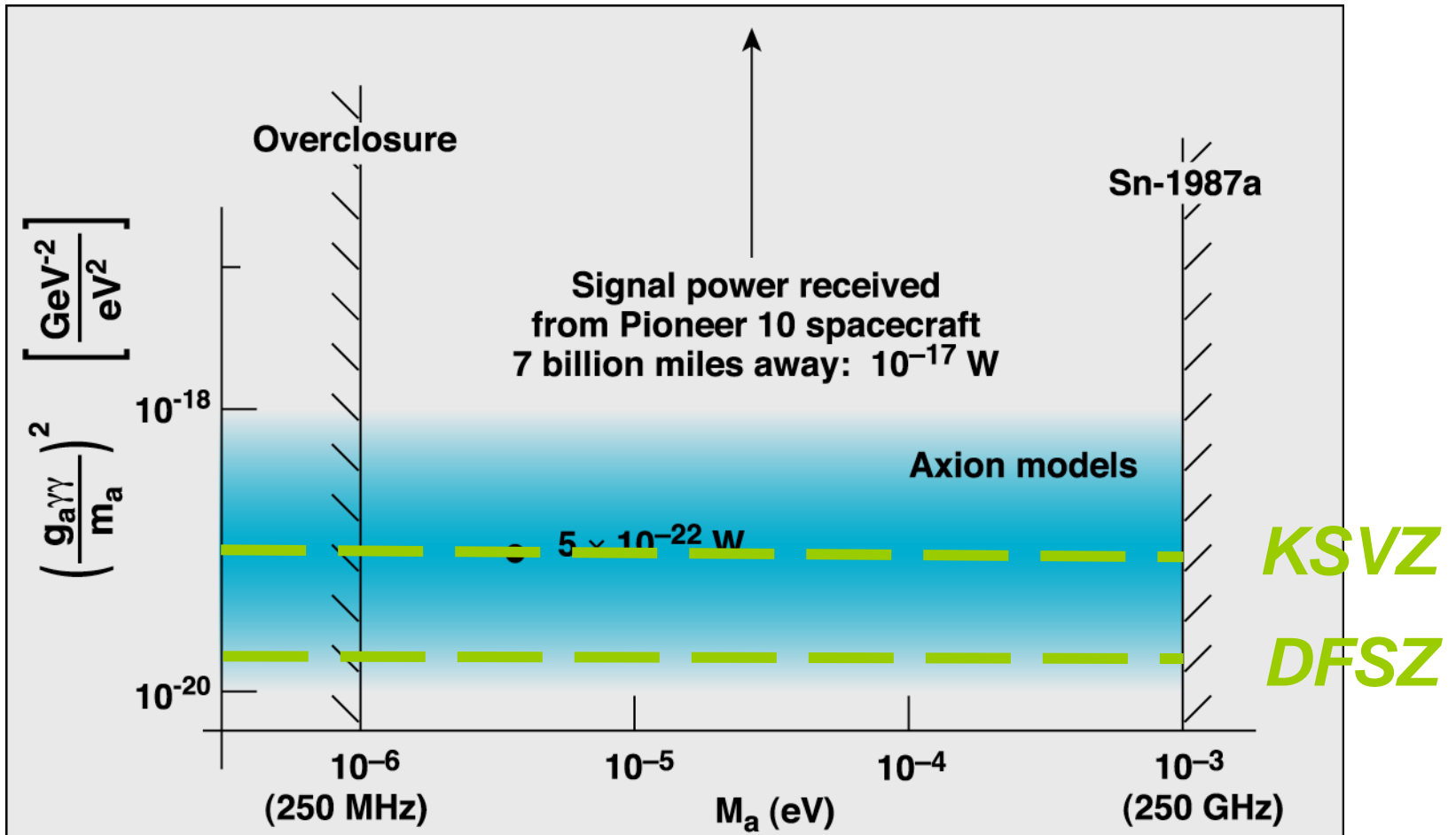
## Axionic dark matter is highly coherent

$\beta_{\text{virial}} \approx 10^{-3} \rightarrow \lambda_{\text{De Broglie}} \approx 100 \text{ m}$   
 $\Delta\beta_{\text{flow}} \approx 10^{-7} \rightarrow \lambda_{\text{Coherence}} \approx 1000 \text{ km}$

The microwave cavity experiment measures the *total energy* of the axion, thus revealing both Doppler motion and coherence of the axion fluid

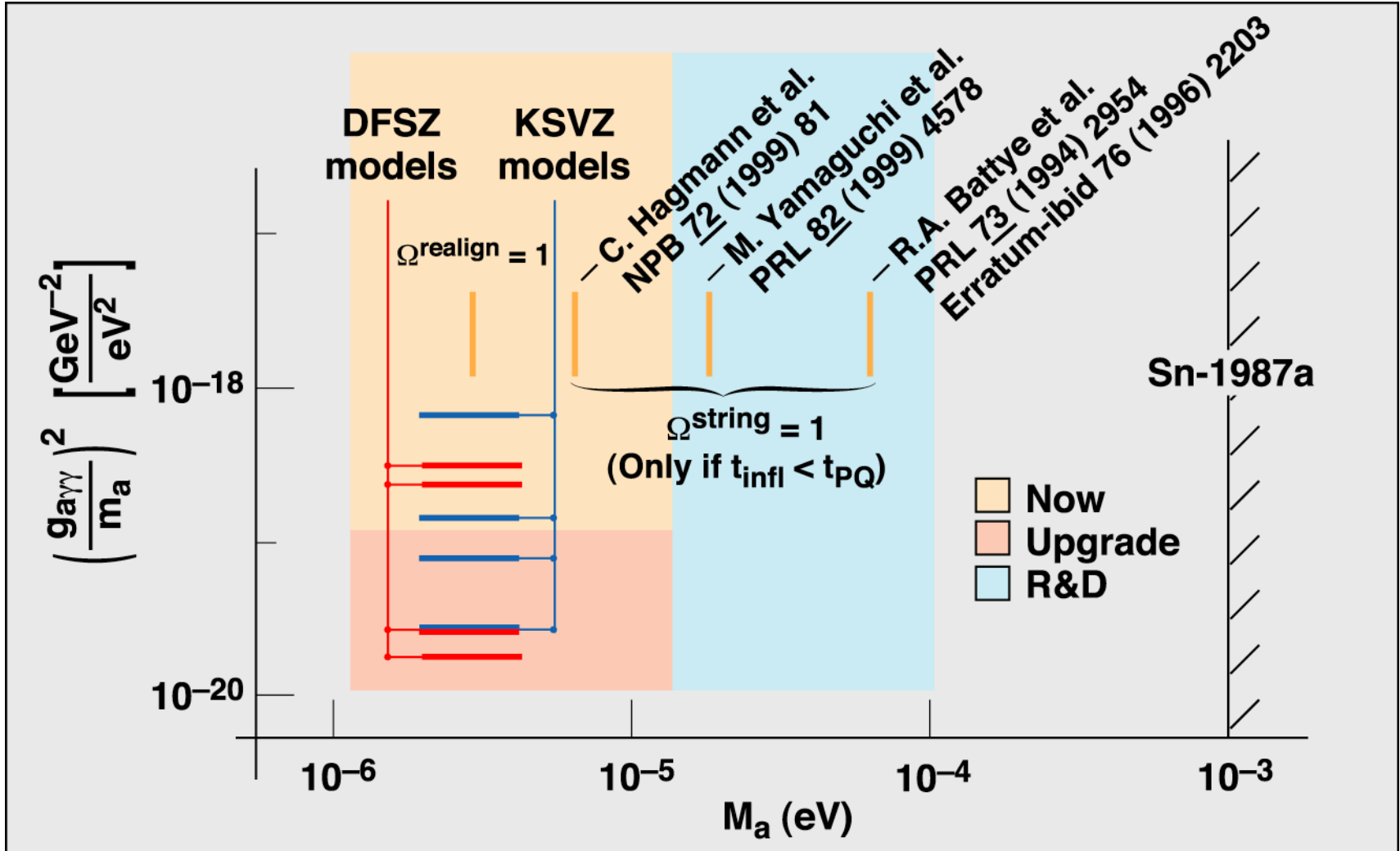
# The parameter space is bounded

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- The axion is bounded in both coupling and mass!
- But the expected signals are tiny

# The parameter space

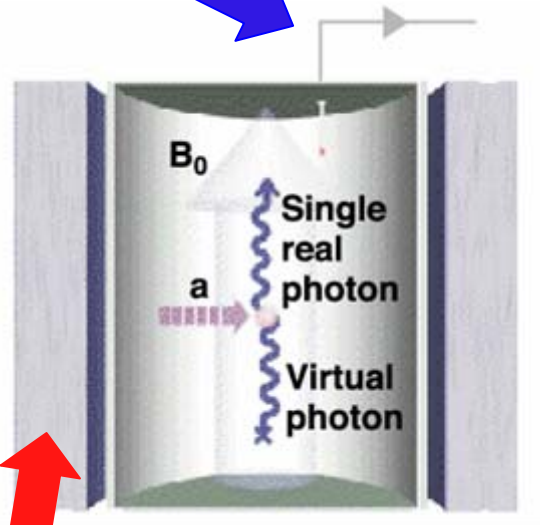


# The radiometer eqn.\* dictates the strategy *ADMX*

$$\frac{s}{n} = \frac{P_{sig}}{kT_S} \cdot \sqrt{\frac{t}{\Delta\nu}}$$

*But integration time limited to ~ 100 sec*

\* Dicke, 1946



*System noise temp. now*

$$T_S = T + T_N \sim 1.5 + 1.5 \text{ K}$$

$$P_{sig} \sim (B^2 V Q_{cav}) (g^2 m_a \rho_a)$$

$$\sim 10^{-22} \text{ watts}$$



# Basic formulae

## Signal power:

$$P_0 = 1.7 \times 10^{-21} \text{W} \left( \frac{V}{0.2 \text{m}^3} \right) \left( \frac{B_0}{7.6 \text{T}} \right)^2$$

$$\times C_{\text{Imn}} \left( \frac{g_\gamma}{0.97} \right)^2 \left( \frac{\rho_a}{7.5 \times 10^{-25} \text{g/cm}^3} \right)$$

$$\times \left( \frac{f}{700 \text{ MHz}} \right) \left( \frac{Q_L}{90000} \right) \frac{\beta}{(1 + \beta)} \frac{1}{1 + (2Q_L \delta f / f_0)^2}$$

$Q_L = Q_0 / (1 + \beta)$  **Loaded Q-value;  $\beta$  coupling**  
 $\delta f = f - f_0$  **Offset from central**  
 $C_{\text{Imn}}$  **Cavity form-factor**

## Scanning rate:

$$\frac{df}{dt} \approx \frac{15 \text{GHz}}{\text{year}} \left( \frac{V}{0.2 \text{m}^3} \right)^2 \left( \frac{B_0}{7.6 \text{T}} \right)^4$$

$$\times C_{010}^2 \left( \frac{g_\gamma}{0.97} \right)^4 \left( \frac{\rho_a}{7.5 \times 10^{-25} \text{g/cm}^3} \right)^2$$

$$\times \left( \frac{f}{700 \text{ MHz}} \right)^2 \left( \frac{Q_L}{90000} \right) \frac{\beta^2}{(1 + \beta)^2} \left( \frac{5}{\text{SNR}} \right)^2$$

$$\times \left( \frac{3 \text{K}}{T_s} \right)^2 \left( \frac{f_{\text{step}}}{\Delta f} \right) \sum_{n=-m}^m \frac{1}{(1 + ((2nf_{\text{step}} / \Delta f))^2)^2}$$

$\Delta f$  **Cavity bandwidth**  
 $f_{\text{step}}$  **Frequency tuning steps**  
 $n$  **Overlapping tuning steps**

Note both the power and scanning rate depend linearly on  $Q_L$

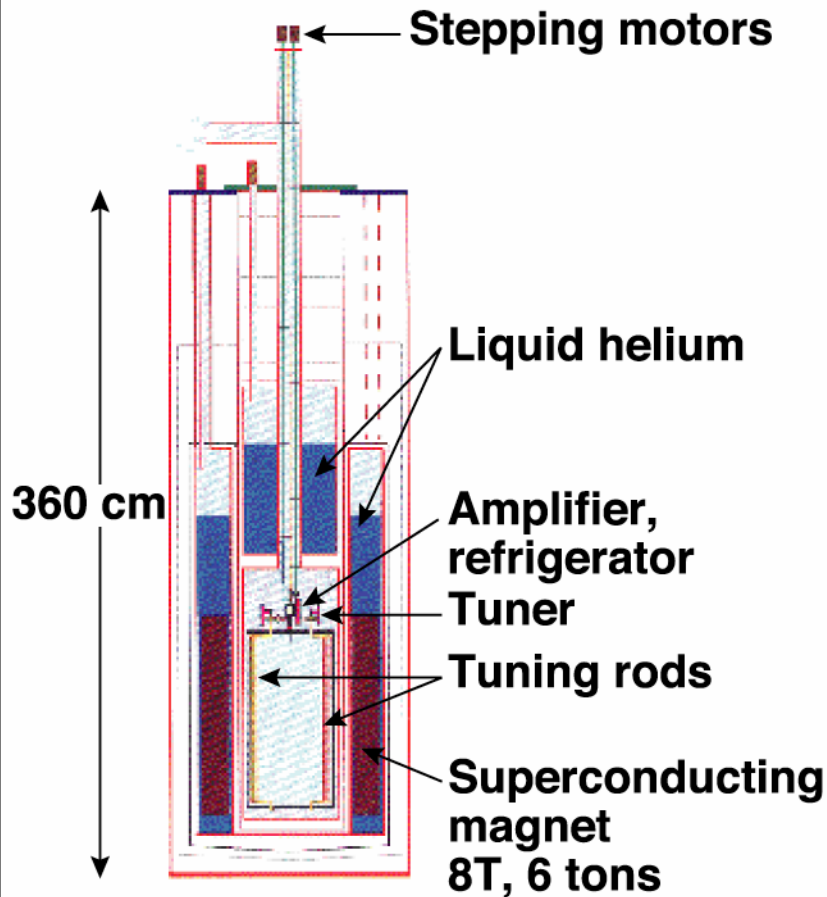
## Rules-of-thumb for optimizing the experiment ADMX

**For scanning at a fixed coupling  $g_{a\gamma\gamma}$**   $\frac{1}{f} \frac{df}{dt} \propto (B^2V)^2 \cdot \frac{1}{T_s^2}$

**For scanning at a fixed sweep rate**  $g \propto \frac{1}{B^2V} \cdot T_s$

- Ideally one wants sufficiently low temperature such that one can:*
- (i) Be sensitive to the most pessimistic model axion (e.g. DFSZ)*
  - (ii) Which only occupies a fraction of the halo density (e.g. 10% )*
  - (iii) Finish the whole works in a tractable time (e.g.10 yrs )*

### Magnet with Insert (side view)



Pumped LHe  $\rightarrow$  T  $\sim$  1.5 k

### Magnet (Wang NMR Inc.)



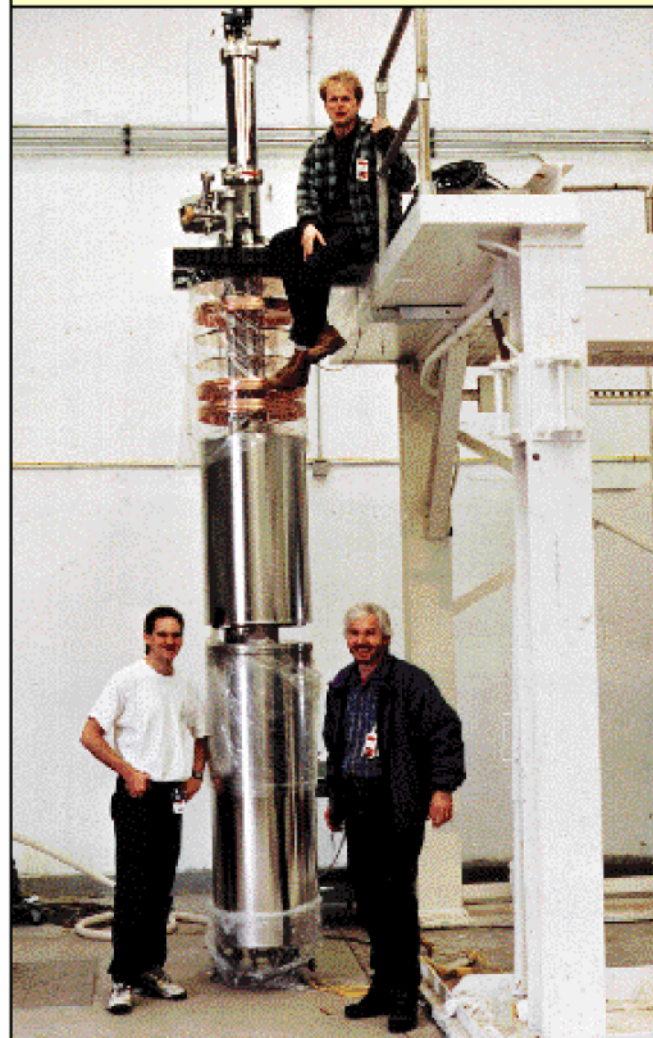
8 T, 1 m  $\times$  60 cm  $\varnothing$

# Axion hardware (cont'd)

**High-Q Cavity (~200,000)**



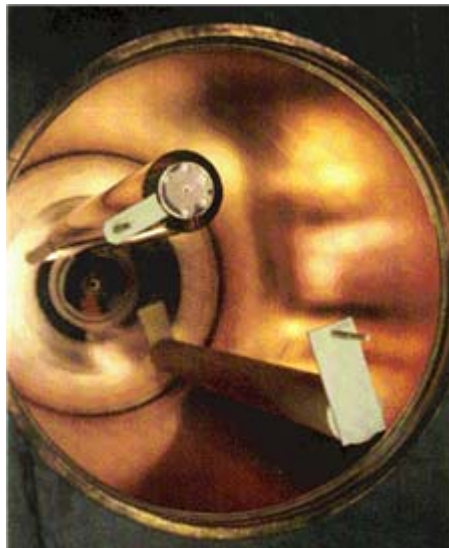
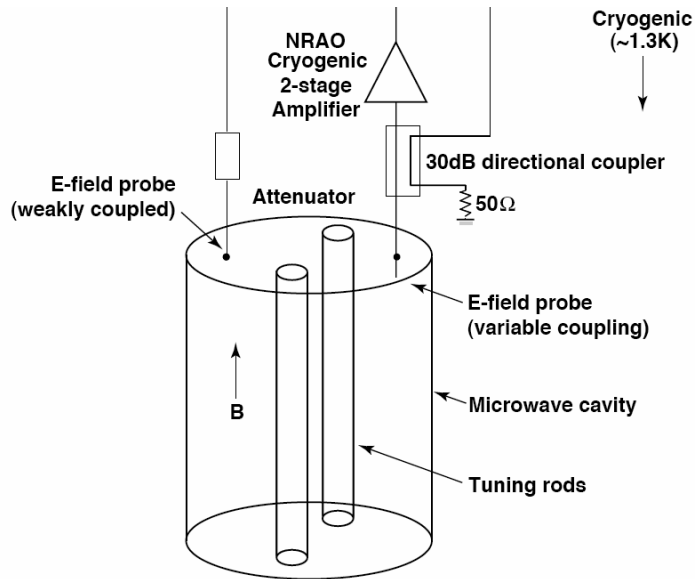
**Experimental Insert**





# Microwave cavity basics (I)

ADMX



## Required/desired features:

- Cover ~100 MHz to ~100 GHz
- Practical tuning,  $\pm 50\%$
- High quality factor,  $Q \sim 10^5$
- High cavity form-factor,  $C = O(1)$
- Minimal mode-crossings
- Minimal mode-localization

## Simplest – right circular cavity, $TM_{010}$ :

- $E_z = J_0(kr)$  (empty)
- $f_0 = 0.115 \text{ GHz} / R[\text{m}]$
- $C_{010} = 0.69$

$$h\nu = mc^2 \longrightarrow m_a = 4.136 \mu\text{eV} \cdot f[\text{GHz}]$$

# Microwave cavity basics (II)

**Cavity form-factor  $C_{lmn}$**   
**(overlap of  $E$ ,  $B_{ext}$ ):**

$$C_{lmn} = \frac{\left( \int_V B(x) \cdot E_{lmn}(x) d^3x \right)^2}{B_0^2 V \int_V \epsilon_r(x) E_{lmn}(x)^2 d^3x}$$

**For uniform  $B = B_0$ :**

- **$C(TM_{010}) \sim 0.69$**
- **Much smaller for  $TM_{0n0}$**
- **TE, TEM identically 0**

Try to use the  $TM_{010}$ -like mode for all configurations

**Cavity quality,  $Q_{lmn}$ :**

$$Q = 0 \frac{(Volume)}{(Surface Area) \cdot (Skin Depth)}$$

**In high B-field, low-T:**

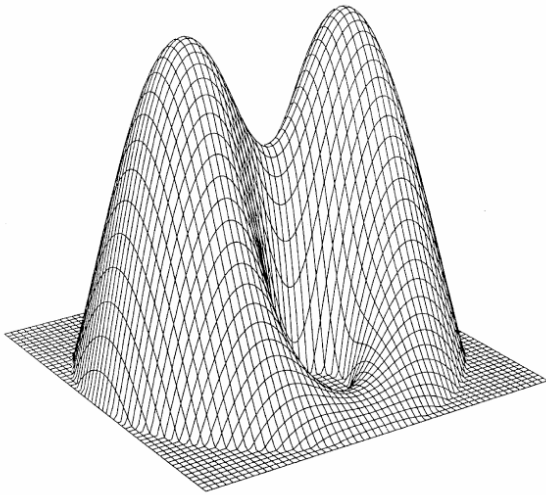
- **Must be copper (not SC!)**
- **Anomalous skin depth limit**

Q limited to few  $10^5$ , but we reach the theoretical max



# Microwave cavity basics (III) – Tuning *ADMX*

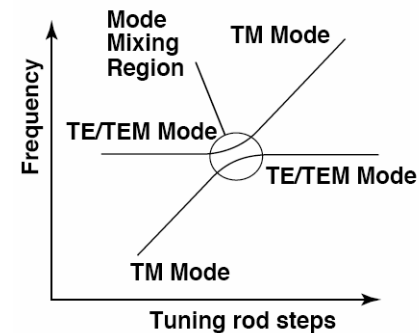
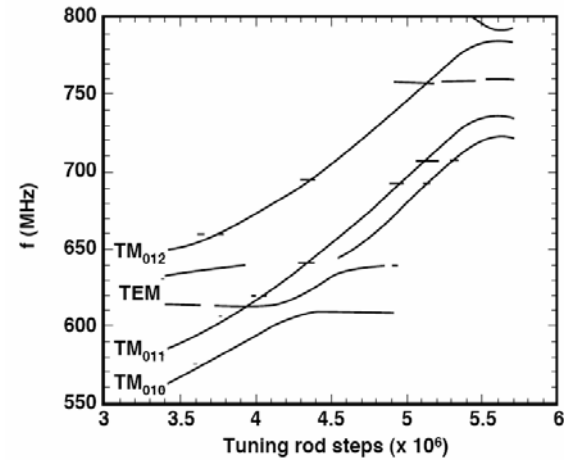
## Tuning rods, radial offset



$E_z$  for  $TM_{010}$  mode; two metal rods half-way from center

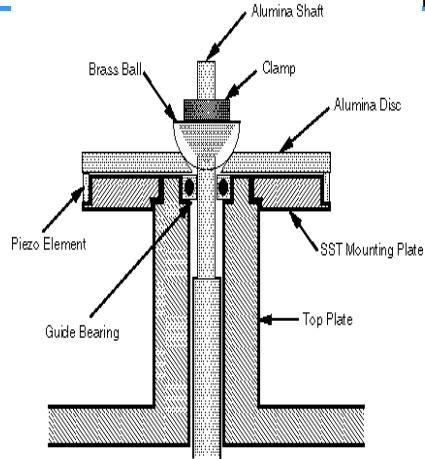
- *Metal - up; dielectric - down*
- *Keep longitudinal symmetry*

## Mode-crossings

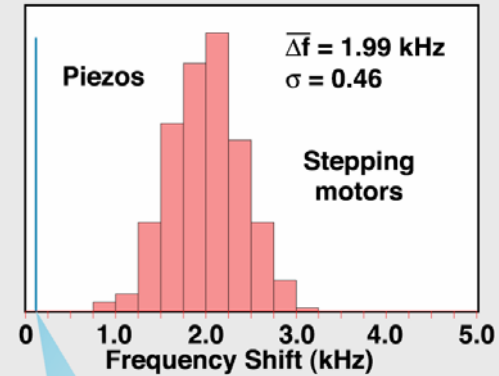


- *Keep cavity aspect ratio L/R low*
- *But can 'walk-around' crossings*

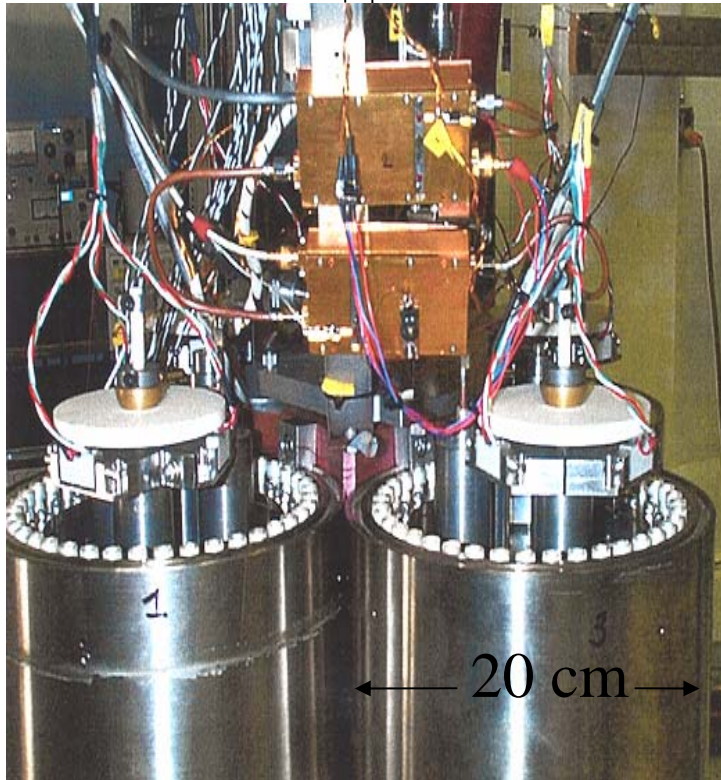
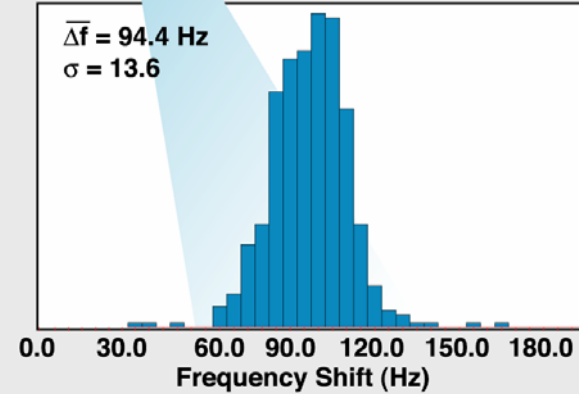
# Multiple Cavity Ops



## Stepping Motors and Gears



## Piezo Motors

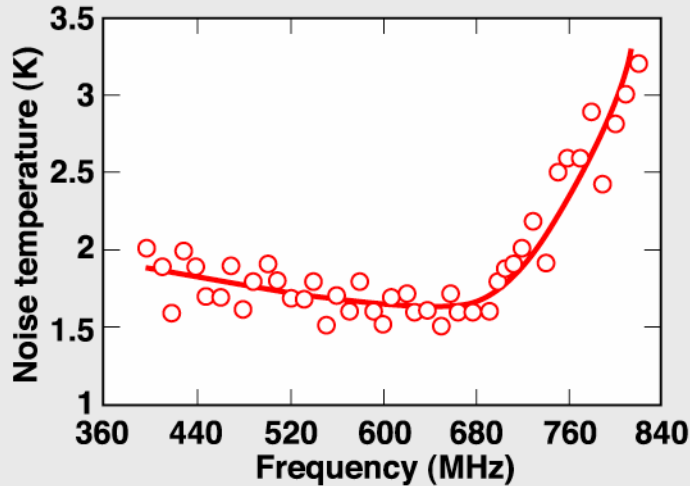


Piezo motors have low power dissipation, work at low temperatures and high magnetic fields

# Microwave amplifiers

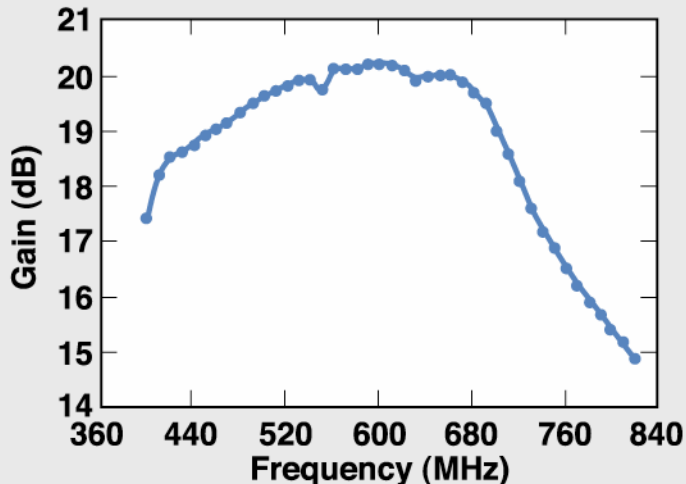
ADMX

### Noise Temperature



- Currently HFET amplifiers (Heterojunction Field-Effect Transistor)
  - A.k.a. HEMT™ (High Electron Mobility Transistor)
  - Workhorse of radio astronomy, military communications, etc.
- Best to date  $T_N \gtrsim 1$  K
  - Independent of T
  - Works in magnetic field

### Gain

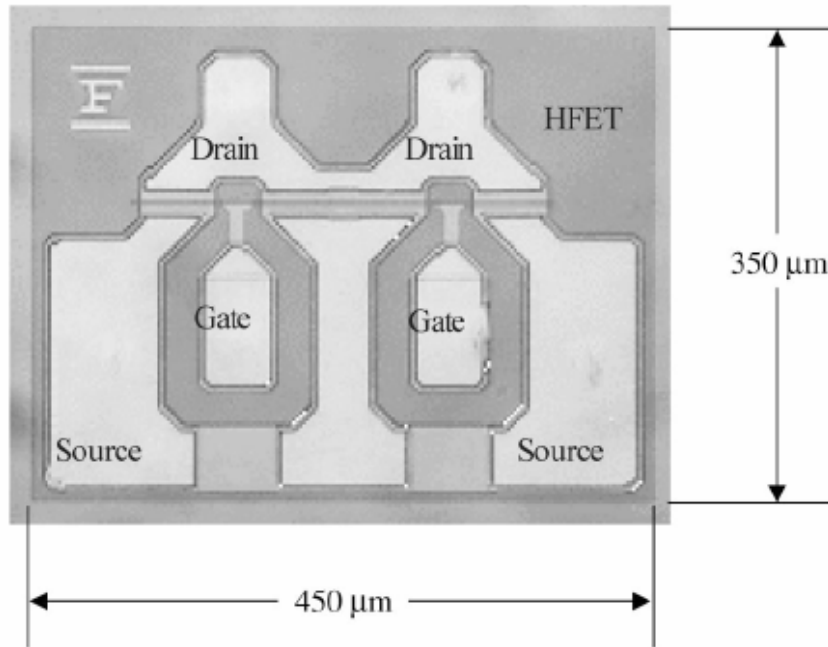


But the quantum limit  $T_Q \sim h\nu/k$  at 500 MHz is only  $\sim 25$  mK!

A quantum-limited amplifier would both give us definitive sensitivity, *and* dramatically speed up the search!

# Heterojunction FET (“HEMTs”) & balanced design

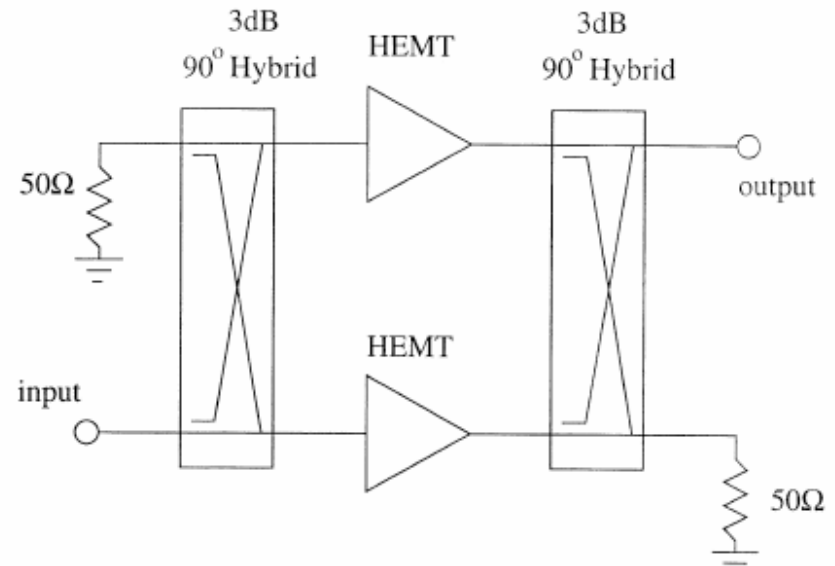
ADMX



*Donor layer ( $\text{Al}_x\text{Ga}_{1-x}\text{As}$ ) separate from gate layer ( $\text{GaAs}$ ), thus eliminating impurity scatterers*

*Electrons propagate ballistically across the 2D channel ( $0.25\mu$  length,  $300\mu$  wide)*

*Thus noise is very low*



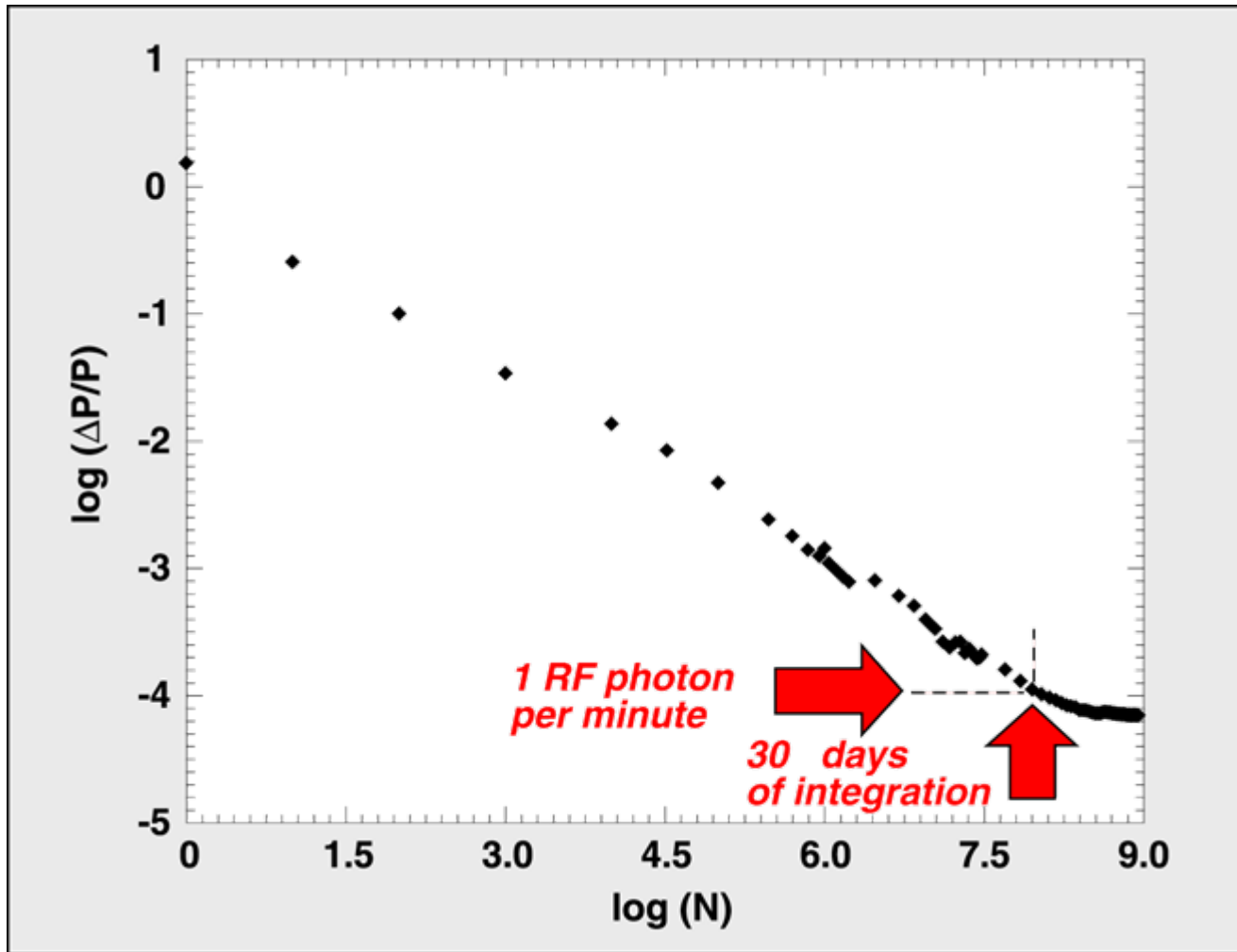
*Resonant cavities represent a complex frequency dependent input impedance  $Z_0(\omega-\omega_0)$*

*Hybrid design minimizes input reflection, providing broad-band match to the complex cavity load*

*There is a small penalty in noise*

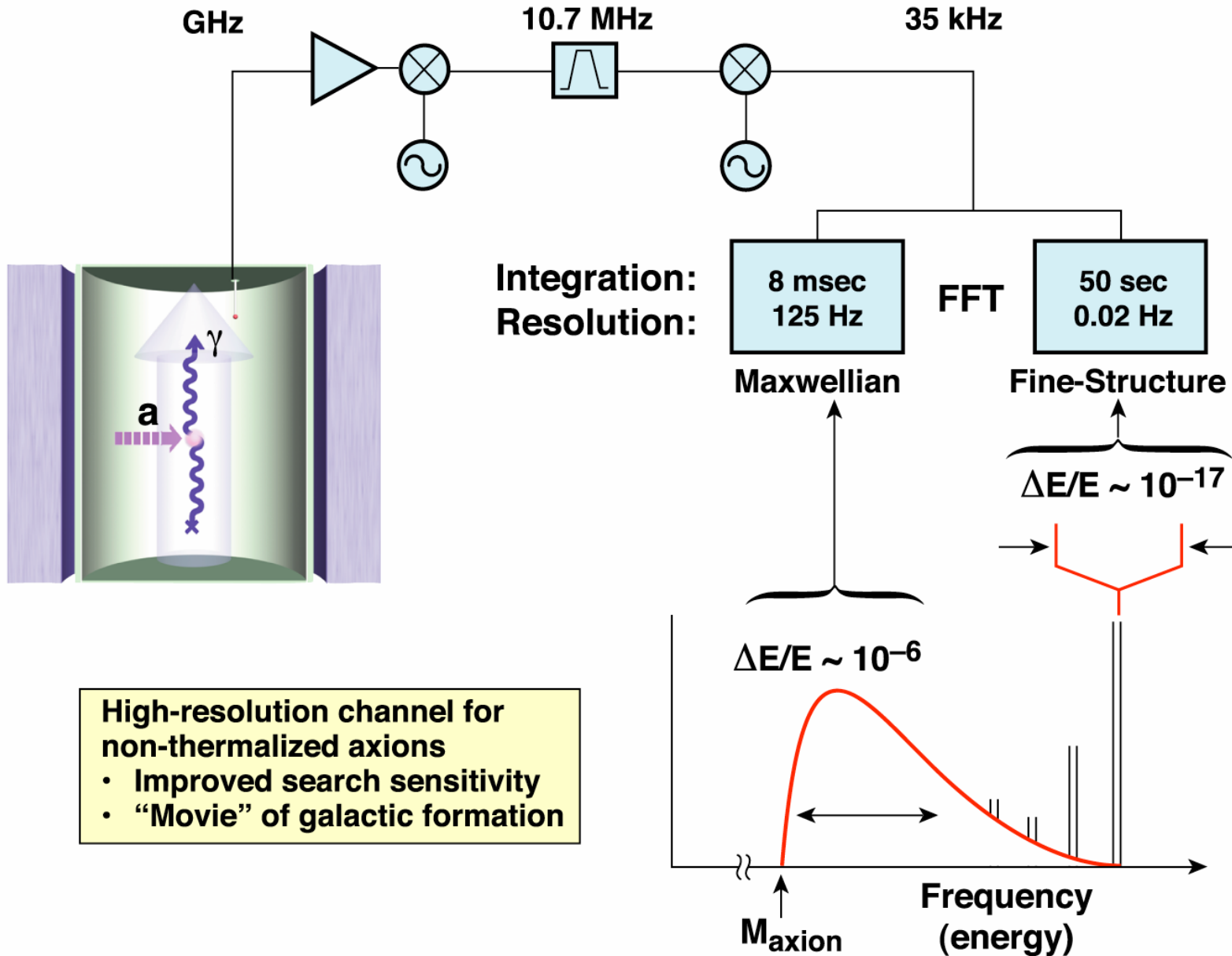
# The world's quietest receiver — by $10^4$ !

ADMX



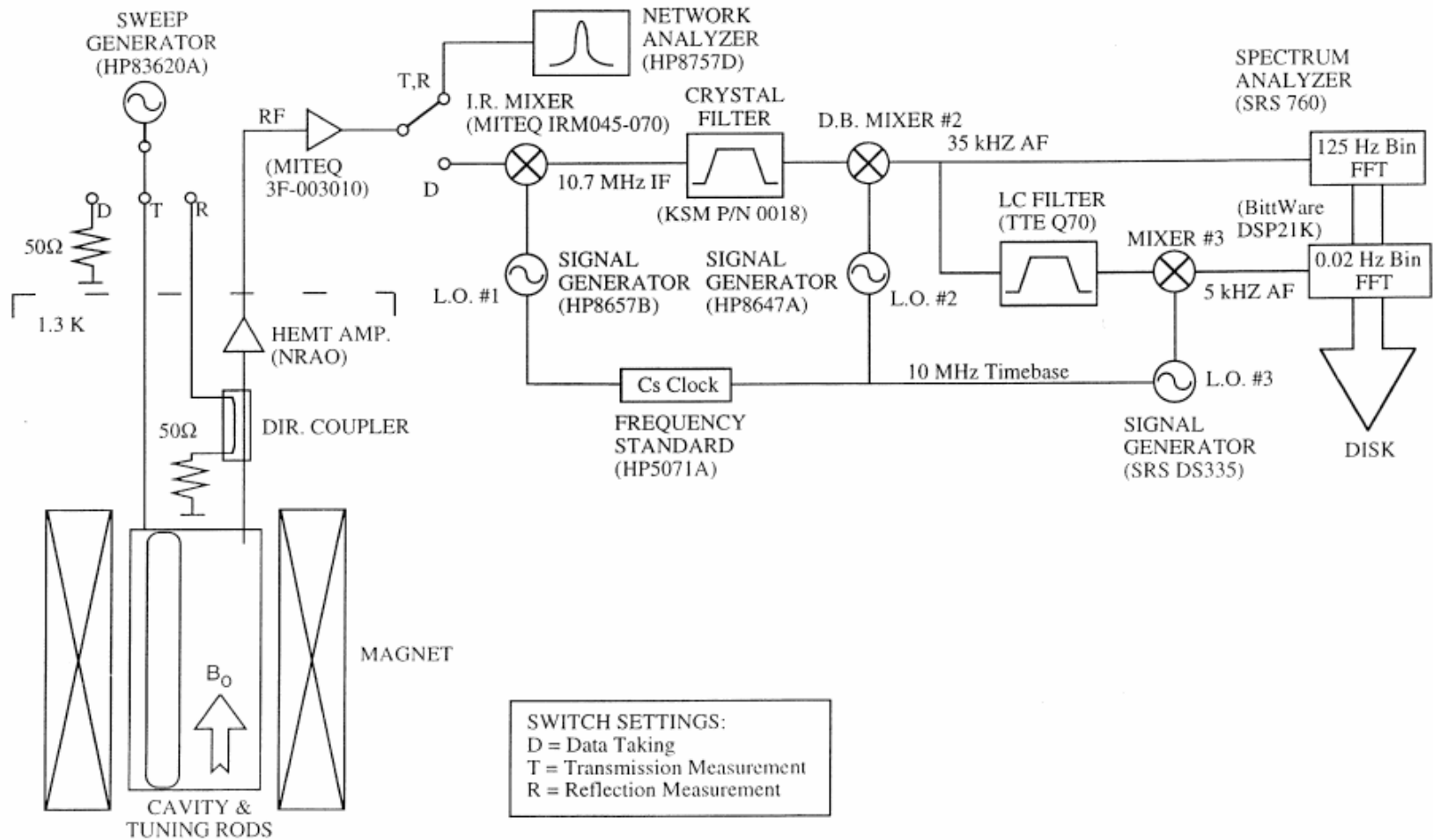
We are systematics-limited for signals of  $10^{-26}$  W  
—  $10^{-3}$  of DFSZ axion power!

# The axion receiver, and high-resolution search *ADMX*

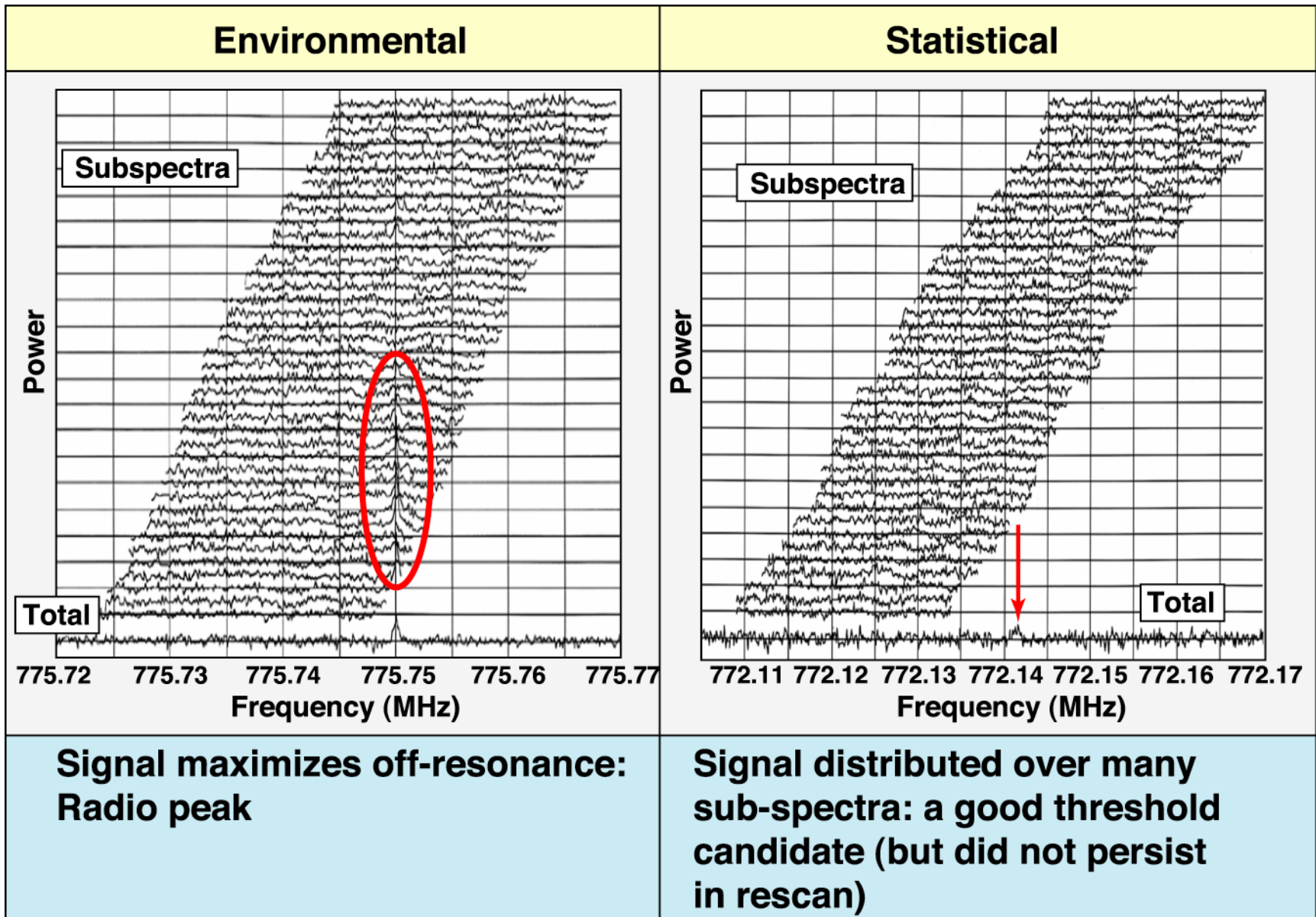




# The real receiver

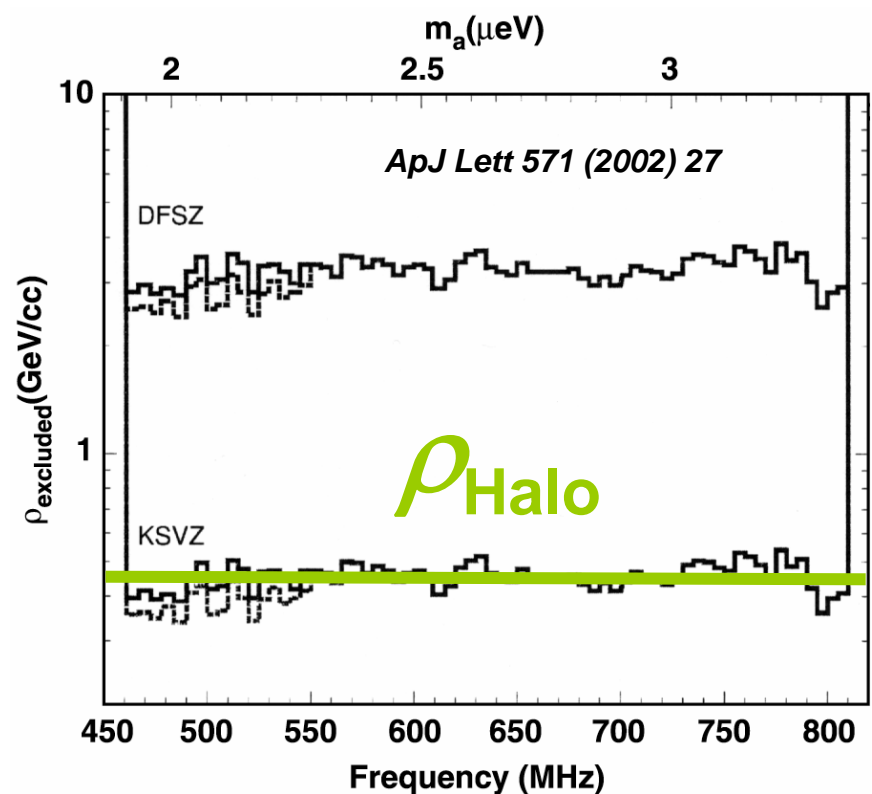
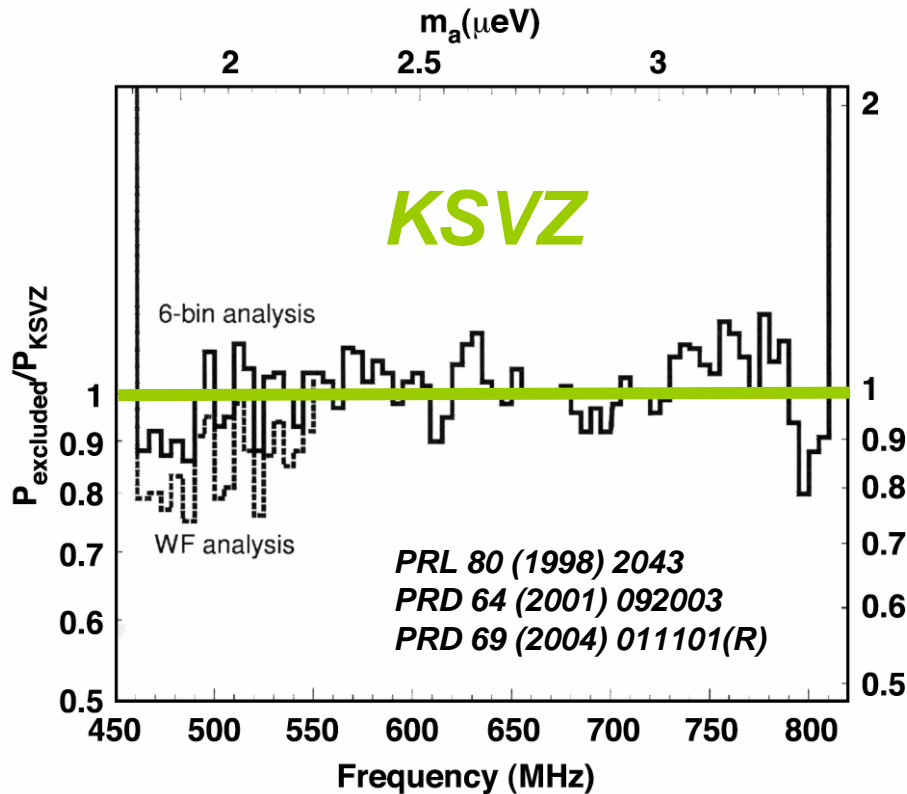


# Sample data and candidates



# Limits on axion models and local axion halo density

ADMX

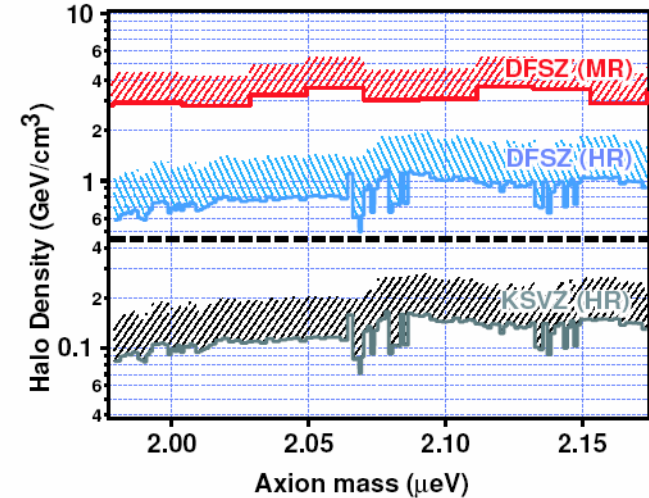
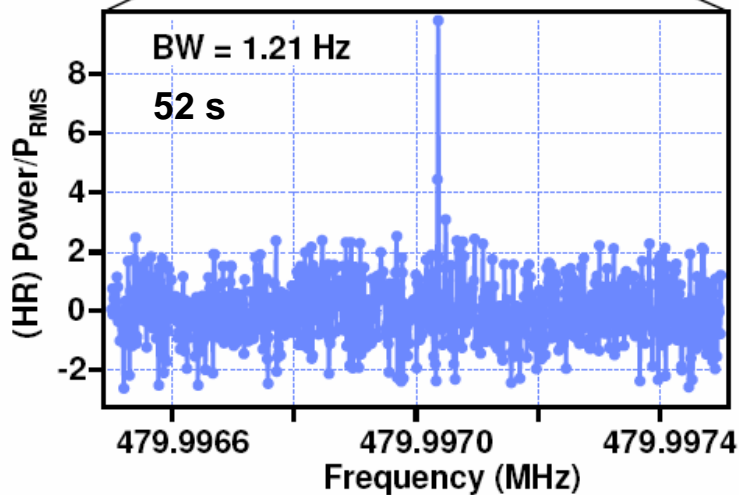
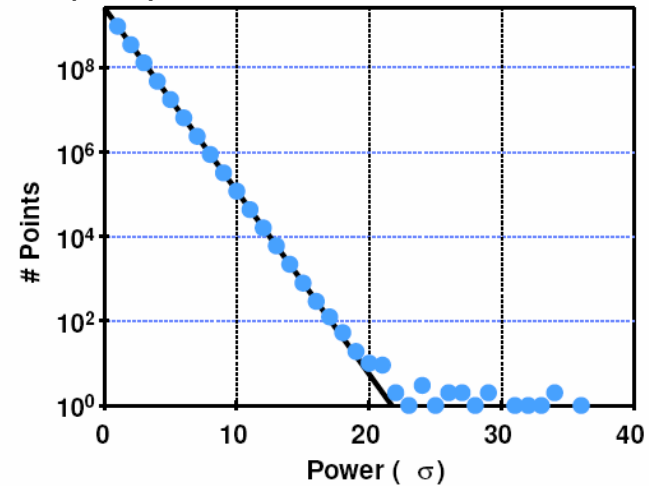
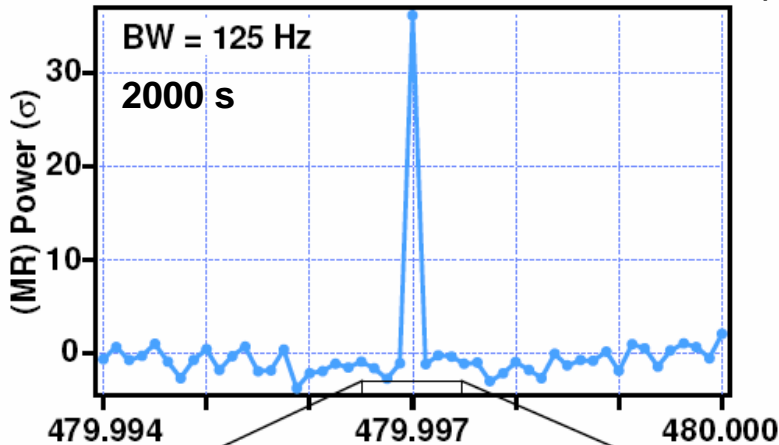


Plausible models have been excluded at the halo density over an octave in mass range

# Results of a high-resolution analysis

ADMX

PRL 95 (9) 091304 (2005)

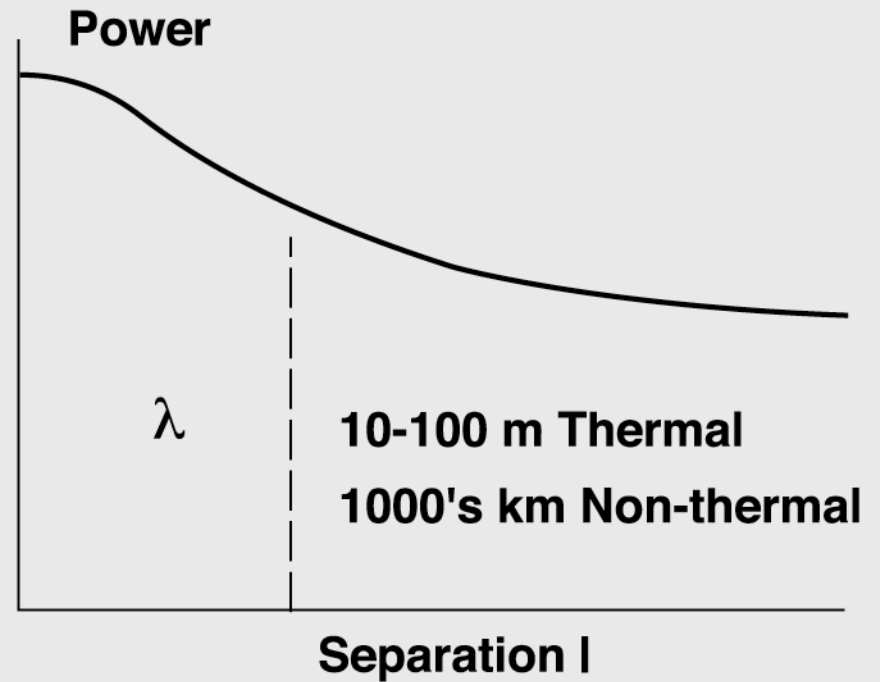
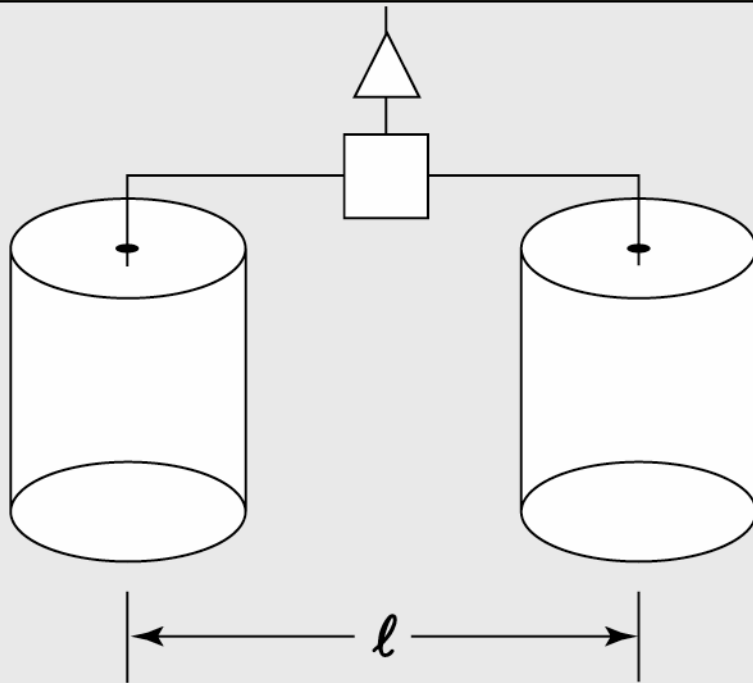


Measured power in environmental (radio) peak same in both channels

# What if the axion is found?

*ADMX*

## The Study of Unique Quantum System



**And should the axion possess fine-structure, it would constitute a “movie” of the formation of our Milky Way galaxy**